

Dark Matter Annihilation Effects On The High Redshift Intergalactic Medium

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Cosmology On Safari – Bonamanzi, KwaZulu-Natal

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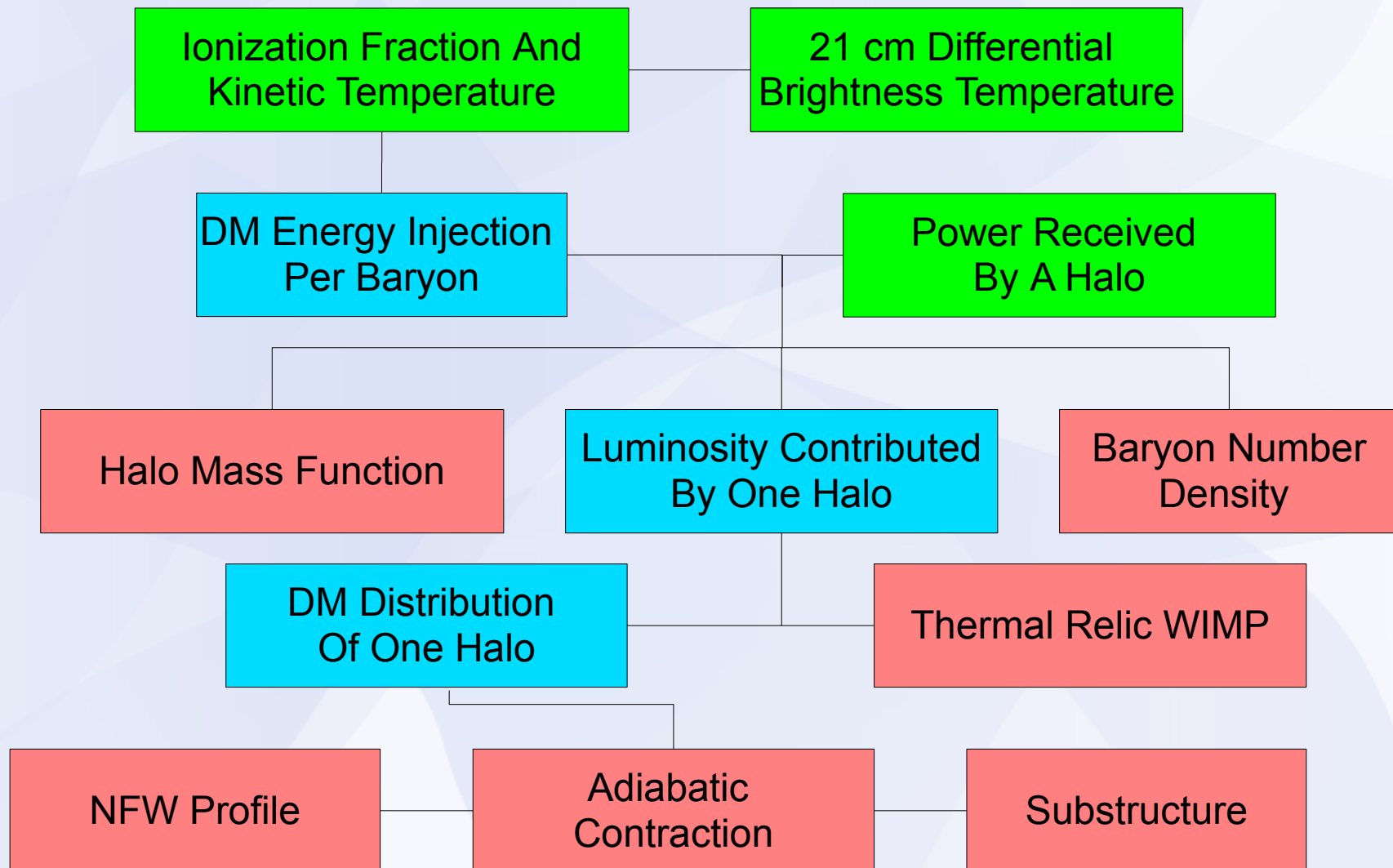
Contents

- How can DM annihilation affect the IGM?
- Computing the effects of DM annihilation
- What is new in this work?
- The thermal relic WIMP
- The DM clustering
- DM annihilation energy output
- Intensity of the radiation field due to DM annihilations
- The effects of DM annihilation on the IGM
- Conclusions

How Can DM Annihilation Affect The IGM?

- DM annihilation would inject extra energy to the baryonic component of the IGM.
- The IGM ionization fraction and temperature, are sensitive to the extra energy input on the baryons.
- The HI 21-cm line signal would be affected by the change in ionization fraction and temperature.
- If the energy output of DM is sufficient, it could affect the re-ionization process of the IGM and the feedback mechanisms in galaxy formation.
- This can allow to constrain DM models. E.g. 10GeV-1TeV thermal relic WIMP.

Computing The Effects Of DM Annihilation



What Is New In This Work?

- Other works include: Pierpaoli (2004), Mapelli et al. (2006), Ripamonti et al. (2007), Natarajan & Schwarz (2009), Cumberbatch et al. (2010), Valdés et al. (2007)...
- We consider the full hierarchy of DM clumpiness, accounting for the halo mass function, the presence of substructure and the density profile of a single (sub)-halo.
- We take a numerical approach when computing the halo mass function from the primordial power spectrum.
- For the substructure, we consider the exponential mass loss over time due to the relaxation of the mass distribution.

What Is New In This Work?

- We incorporate the modification of the density profile of a single (sub)-halo due to the adiabatic contraction that could be caused by the presence of a SMBH (for massive enough haloes).
- We also study the power received by a halo due to the DM annihilation energy output of the rest of the universe, obtained by computing the intensity of the corresponding radiation field.
- We discuss possible detectability windows for the 21cm signal.

The Thermal Relic WIMP

- A thermal relic WIMP is a Dark Matter particle that is massive (such that it was non-relativistic when it decoupled), weakly interacting, and whose creation and annihilation reactions were in thermal equilibrium in the early universe.
- Based on these characteristics alone, the annihilation cross-section can be estimated as (e.g., Kolb and Turner; 1990):

$$\langle\sigma v\rangle = \frac{4 \times 10^{-27}}{\Omega_{\chi,0} h^2} [\text{cm}^3 \text{s}^{-1}].$$

- Two main candidates include the SUSY neutralino and the KK photon. (e.g., Hooper & Profumo (2007); Jungman, Kamionkowski & Griest (1996)).

The DM Clustering

- We consider the Λ CDM cosmological model as given by Planck (arXiv:1303.5076).
- We compute the halo mass function numerically.
 - First we obtain $P_{\text{DM}}(k)$ by considering $n_s=0.9624$ and the BBKS transfer function (Bardeen et al., 1986)
 - Then we obtain $\sigma^2(R)$ (Lacey and Cole, 1993; Mo & White, 1996) integrating $P_{\text{DM}}(k)$ with a top hat window function.
 - Finally, we compute $v = \frac{\delta_c(z)}{\sigma(R(M))}$ and the mass function using the Sheth et al. (2001) $f(\mathbf{v})$.

The DM Clustering

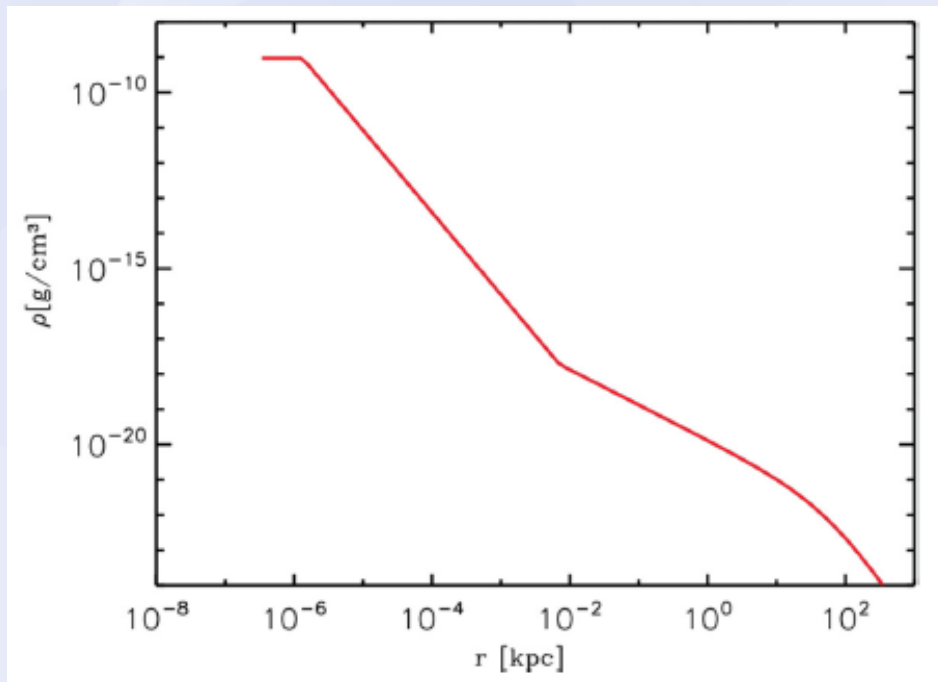
- For the substructure mass function, we use the form given by Giocoli et al. (2008):

$$\frac{dN}{dm} = \frac{N_0}{m} x^{-\alpha} e^{-6.283x^3}, \quad x = \frac{m K^{-1}(z, M_h)}{\alpha M_h}, \quad K(z, M_h) = \exp \left[-\frac{\text{LBT}(z_{\text{coll}}(M_h)) - \text{LBT}(z)}{\tau(z)} \right]$$

- Exponential mass loss of the subhaloes due to relaxation of the mass distribution is accounted for.
- We consider a NFW (1997) DM density profile for both haloes and subhaloes. Average shape parameters are computed as functions of z and M .
- We also consider adiabatic contraction by a SMBH (Natarajan et al., 2008; Quinlan, Hernquist & Sigurdsson, 1995). The inner slope is modified:

The DM Clustering - DM Halo Profile

- An example of an adiabatically contracted profile:



$$M_h = 5E13 h^{-1} M_{\text{sun}}$$

$$z = 1.0$$

$$M_{\text{BH}} = 2.5E9 h^{-1} M_{\text{sun}}$$

$$\rho_{\text{DM}}(r) = \rho_{\text{NFW}}(r), r > r_{\text{BH}},$$

$$\rho_{\text{DM}}(r) = \rho_{\text{NFW}}(r_{\text{BH}}) \left(\frac{r}{r_{\text{BH}}} \right)^{-\gamma_{\text{spike}}}, r_{\text{plateau}} < r < r_{\text{BH}},$$

$$\rho_{\text{DM}}(r) = \frac{m_\chi}{t_{\text{spike}} \langle \sigma v \rangle}, 4r_s < r < r_{\text{plateau}},$$

$$\rho_{\text{DM}}(r) = 0, r < 4r_s,$$

$$\gamma_{\text{spike}} = 2.33.$$

The DM Annihilation Energy Output - Luminosity Of A Single Halo

- The energy generated per unit time in a DM halo is given by:

$$L_{\chi} = \frac{\langle \sigma v \rangle c^2}{2m_{\chi}} \int_V \rho_{DM}^2(x, t) d^3x,$$

- This luminosity can be decomposed in the contribution of the main halo and the substructure:

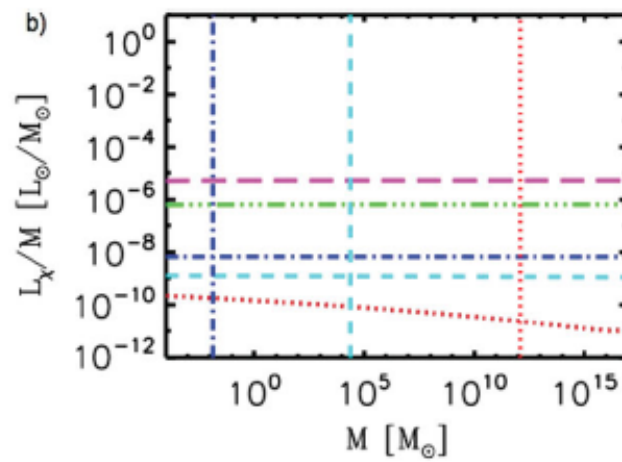
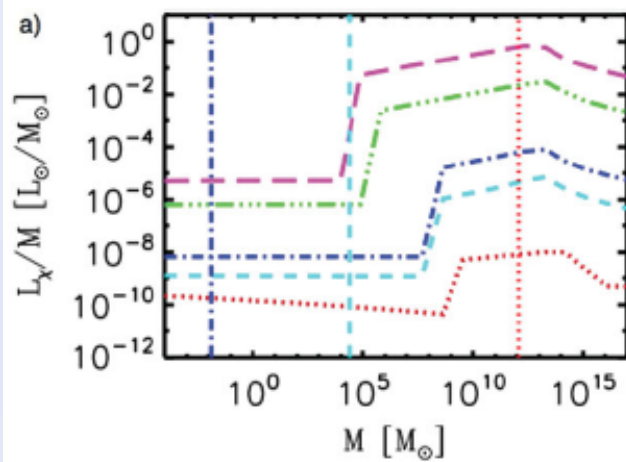
$$L_{\chi} = L_{\chi,main} + L_{\chi,subs},$$

- Given the density profile of DM halos and knowing the subhalo mass function, the total luminosity of a halo can be computed as:

$$L_{\chi,main} = L_{\chi}(M_{main}, z) = \frac{\langle \sigma v \rangle c^2}{2m_{\chi}} \int_V \rho_{DM}^2(r, M_{main}, z) dV,$$

$$L_{\chi,subs} = L_{\chi,subs}(M_{main}, z) = \int_{m_{free}}^{M_{main}} \frac{dN}{dm} L_{\chi}(m, z) dm.$$

The DM Annihilation Energy Output - L/M Ratio for DM halos

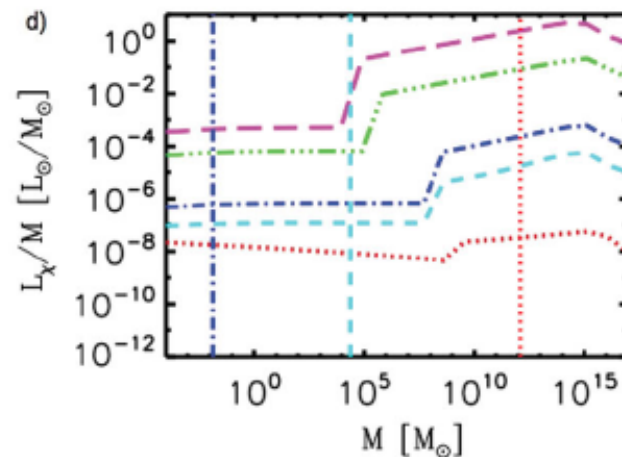
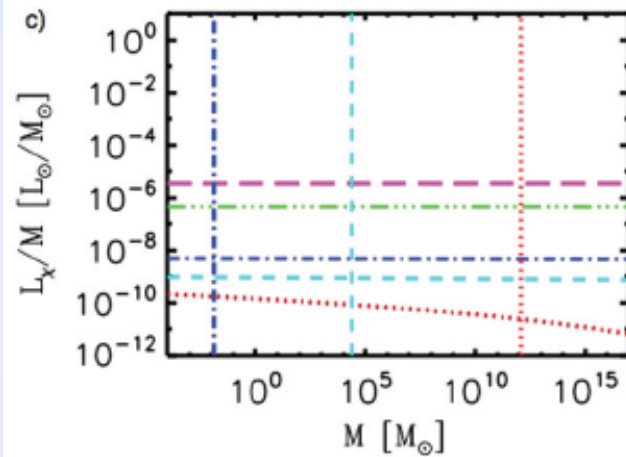


a) Sub. + Ad. Cont.
+ $M_{\text{WIMP}} = 1\text{TeV}$

b) Sub. + $M_{\text{WIMP}} = 1\text{TeV}$

c) Pure NFW +
 $M_{\text{WIMP}} = 1\text{TeV}$

d) Sub. + Ad. Cont.
+ $M_{\text{WIMP}} = 10\text{GeV}$



$z = 0$

$z = 5$

$z = 10$

$z = 50$

$z = 100$

The DM Annihilation Energy Output - Global Energy Injection Rate Per Baryon

- The smooth energy injection rate per baryon can be written as:

$$\dot{E}_{\chi}^{\text{smooth}} = \frac{1}{2} \frac{m_{\chi}}{n_{b,0}} c^2 n_{\chi,0}^2 (1+z)^3 \langle \sigma v \rangle f_{\text{abs}}(z)$$

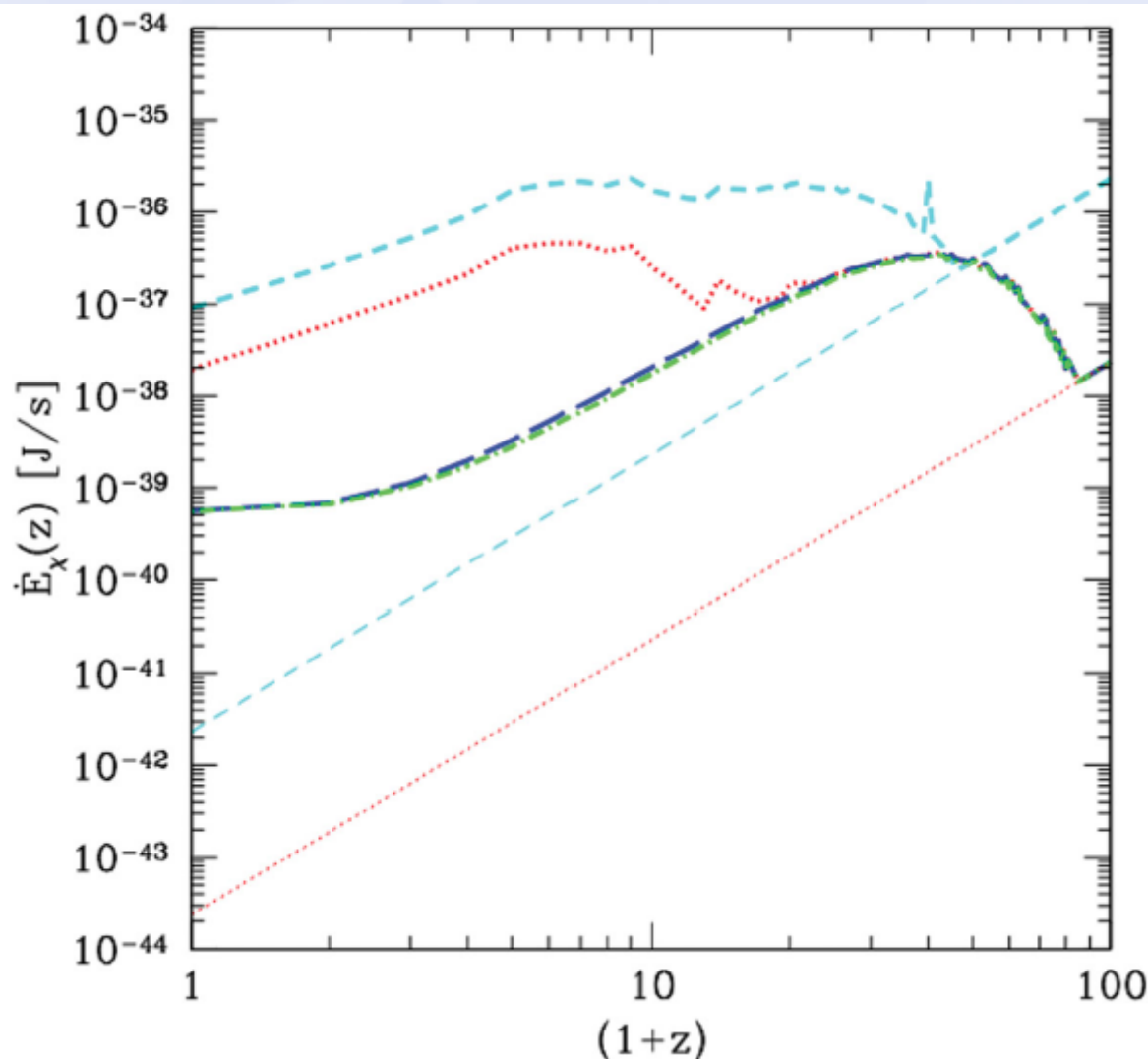
- The clumped energy injection rate per baryon is given by:

$$\epsilon_{\chi}^{\text{clumped}}(z) = (1+z)^3 \int_{m_{\text{free}}}^{\infty} L_{\chi}(M, z) \frac{dn}{dM}(M, z) dM \quad \dot{E}_{\chi}^{\text{clumped}}(z) = \frac{\epsilon_{\chi}^{\text{clumped}}(z)}{n_b(z)}$$

- The corresponding clumpiness factor can thus be defined as:

$$C(z) = \frac{\dot{E}_{\chi}^{\text{clumped}}(z)}{\dot{E}_{\chi}^{\text{smooth}}(z)}$$

The DM Annihilation Energy Output - Global Energy Injection Rate Per Baryon



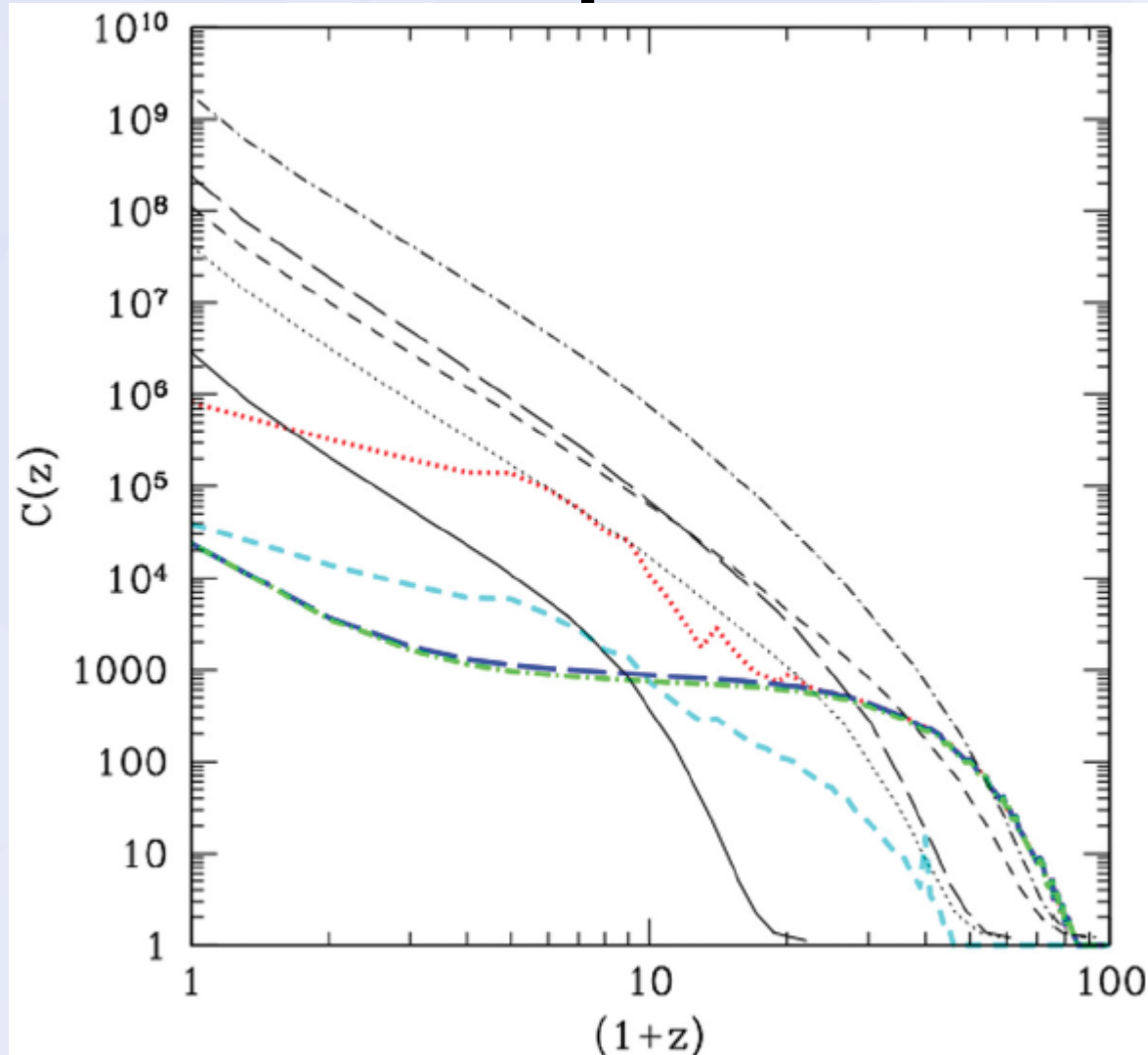
Subs. + Ad. Cont. +
 $M_{\text{WIMP}} = 1\text{TeV}$

Subs. + $M_{\text{WIMP}} = 1\text{TeV}$

Pure NFW + $M_{\text{WIMP}} = 1\text{TeV}$

Sub. + Ad. Cont. +
 $M_{\text{WIMP}} = 10\text{GeV}$

The DM Annihilation Energy Output - Clumpiness Factor



Intensity Of The Radiation Field Due To DM Annihilations

- Following Haardt & Madau (1996), we solve the radiative transfer equation for the frequency integrated intensity of the radiation field due to DM annihilations. The solution considers the background cosmological expansion:

$$J(z_0) = \frac{1}{4\pi} \int_{z_0}^{\infty} dz \frac{dl}{dz} \frac{(1+z_0)^4}{(1+z)^4} \epsilon_{\chi}(z) e^{-\tau_{\text{eff}}(z_0, z)} \quad \frac{dl}{dz} = c \frac{dLBT(z)}{dz}$$

- The emissivity and optical depth are given by:

$$\epsilon_{\chi}(z) = \frac{1}{2} m_{\chi} c^2 n_{\chi,0}^2 (1+z)^6 \langle \sigma v \rangle C(z)$$

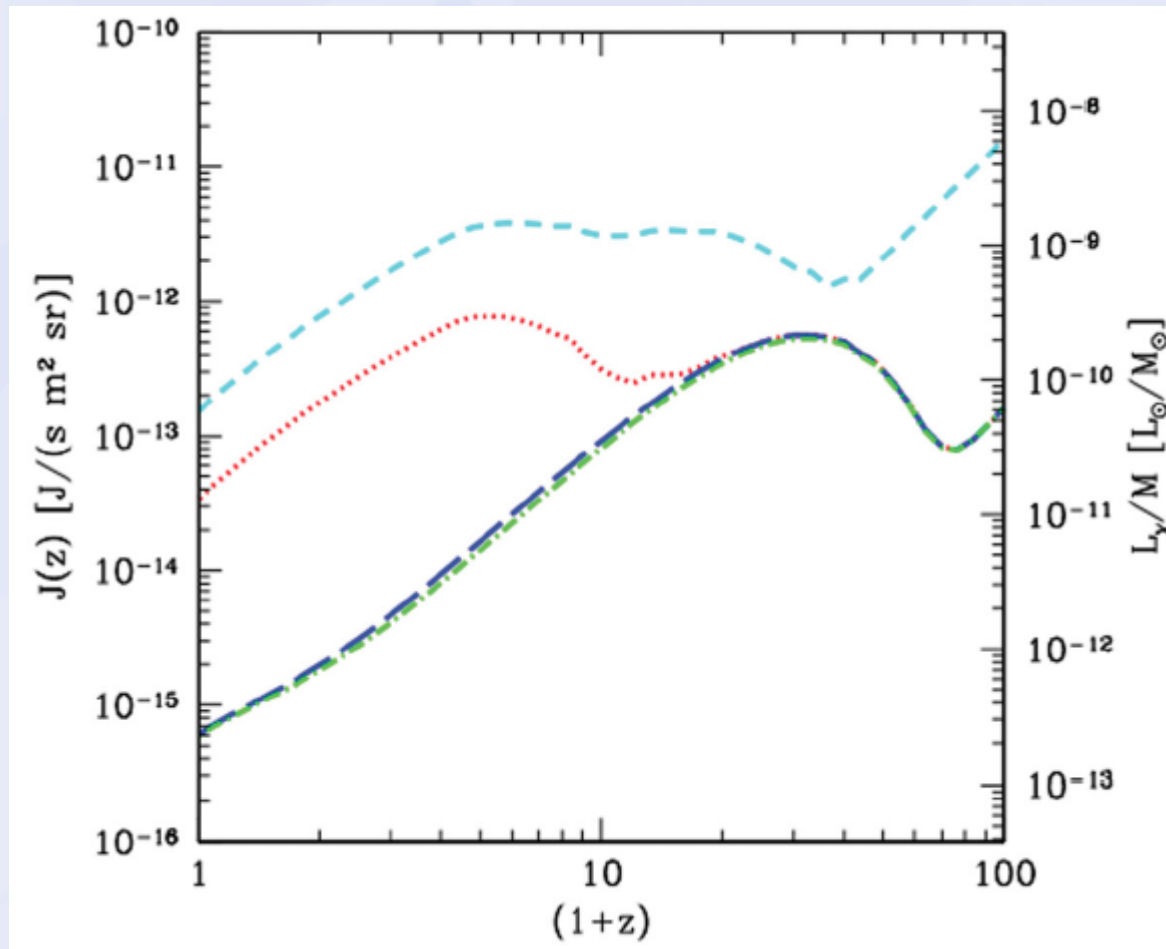
$$\tau_{\text{eff}}(z_0, z) = \int_{m_{\text{free}}}^{\infty} \int_{z_0}^z dM dz' \left(\frac{dl}{dz'} \right) \frac{dn}{dM}(M, z') (1+z')^3 \sigma_{\text{bary}}(M)$$

- The baryonic cross-section is computed as:

$$\sigma_{\text{bary}}(M) = \sigma_{\text{T}} f_{\text{bary}} \left(\frac{M}{m_{\text{p}}} \right) \left(1 - \frac{Y_{\text{p}}}{2} \right)$$

- The power received by a halo is given by: $L_{\chi}^{\text{ext}} = 4\pi \sigma_{\text{bary}}(M) J$.

Intensity Of The Radiation Field Due To DM Annihilations



Subs. + Ad. Cont. +
 $M_{\text{WIMP}} = 1\text{TeV}$

Subs. + $M_{\text{WIMP}} = 1\text{TeV}$

Pure NFW + $M_{\text{WIMP}} = 1\text{TeV}$

Sub. + Ad. Cont. +
 $M_{\text{WIMP}} = 10\text{GeV}$

Effects Of DM Annihilation On The IGM

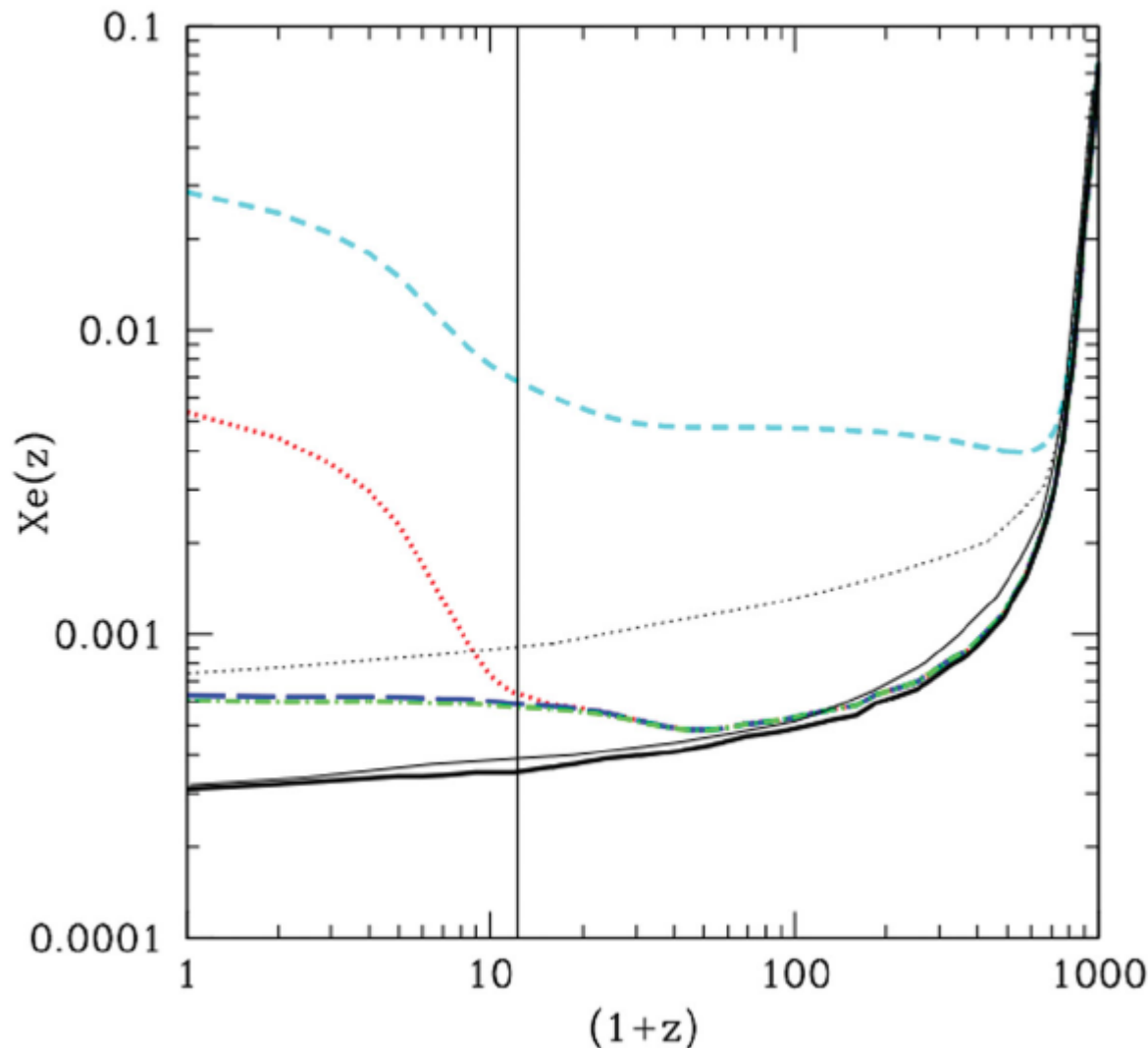
- The IGM Ionization Fraction

- With the DM annihilation energy injection per baryon, one can compute the evolution of the ionization fraction:

$$\frac{d\delta x_e}{dz} = \frac{-I_\chi(z)}{H(z)(1+z)} \quad \delta x_e(z) = x_e(z) - x_e^{\text{norad}}(z)$$

- $x_e^{\text{no-rad}}(z)$ is the standard ionization fraction in the absence of ionization sources.
- The contribution of DM to the Ionization rate is given by:
$$I_\chi = \chi_i(z) \frac{\dot{E}_\chi}{E_0}$$
 - Where E_0 is the ionization energy of hydrogen and $\chi_i(z)$ is the ionization efficiency $(1-x_e)/3$.
- The initial condition corresponds to $\delta x_e(z=1000)=0$ with $x_e(z=1000) \approx 1$.

Effects Of DM Annihilation On The IGM - The IGM Ionization Fraction



Subs. + Ad. Cont. +
 $M_{\text{WIMP}} = 1\text{TeV}$

Subs. + $M_{\text{WIMP}} = 1\text{TeV}$

Pure NFW + $M_{\text{WIMP}} = 1\text{TeV}$

Sub. + Ad. Cont. +
 $M_{\text{WIMP}} = 10\text{GeV}$

No DM annihilation
energy injection

Effects Of DM Annihilation On The IGM

- The IGM Kinetic Temperature

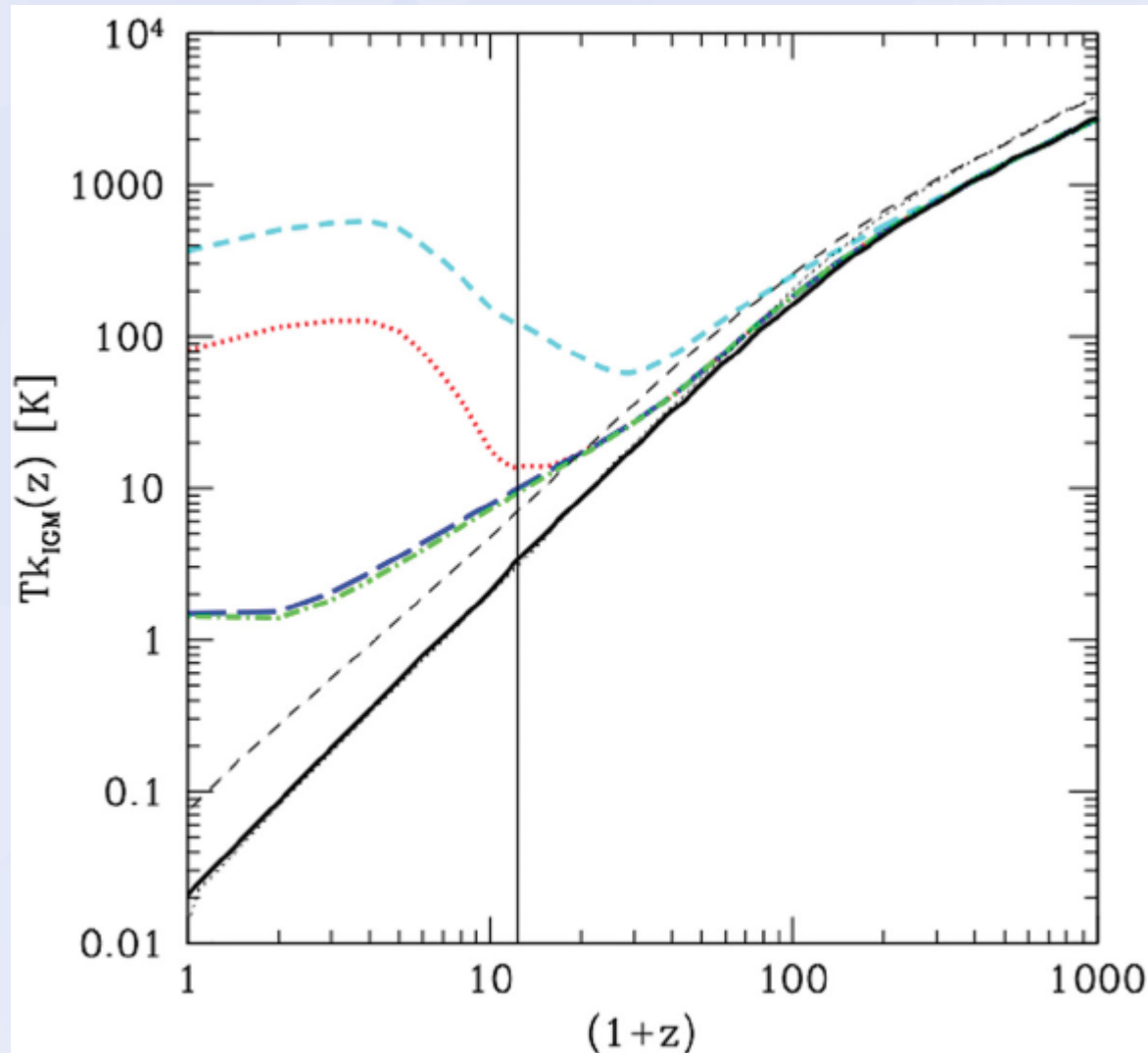
- With the DM annihilation energy injection per baryon, one can compute the evolution of the IGM kinetic temperature:

$$(1+z)\frac{dT_k}{dz} = 2T_k + \frac{l_\gamma x_e}{H(z)(1+Y+x_e)}(T_k - T_{CMB}) - \frac{2\chi_h \dot{E}_\chi}{3k_b H(z)(1+Y+x_e)}, \quad l_\gamma = \frac{(8\sigma_{TR} T_{CMB}^4)}{(3m_e c)}$$

- $\chi_h(z)$ is the ionization efficiency $(1+2x_e)/3$.
- The first term on the R.H.S. corresponds to the adiabatic cooling of the IGM.
- The second term corresponds to the heat exchange between the IGM and the CMB.
- The heating due to DM energy injection is given by the third term.
- The initial condition is given by the CMB temperature at $z=1000$.

Effects Of DM Annihilation On The IGM

- The IGM Kinetic Temperature



Subs. + Ad. Cont. +
 $M_{\text{WIMP}} = 1\text{TeV}$

Subs. + $M_{\text{WIMP}} = 1\text{TeV}$

Pure NFW + $M_{\text{WIMP}} = 1\text{TeV}$

Sub. + Ad. Cont. +
 $M_{\text{WIMP}} = 10\text{GeV}$

No DM annihilation
energy injection

Effects Of DM Annihilation On The IGM

- The 21 cm Signal

- IGM kinetic temperature, together with ionization fraction and DM energy injection, modify the global spin temperature of the IGM.

$$T_s = \frac{T_{CMB} + y_\alpha T_k + y_c T_k}{1 + y_\alpha + y_c},$$

- Two major processes couple T_s and T_k : Ly-alpha pumping (Wouthuysen – Field effect) and spin exchange collisions.
- The W-F effect depends of the intensity of the Ly-alpha background due to collisional excitations and direct DM energy injection, The spin exchange collisions depend on the number densities of e^- and HI, ionization fraction and temperature.

Effects Of DM Annihilation On The IGM - The 21 cm Signal

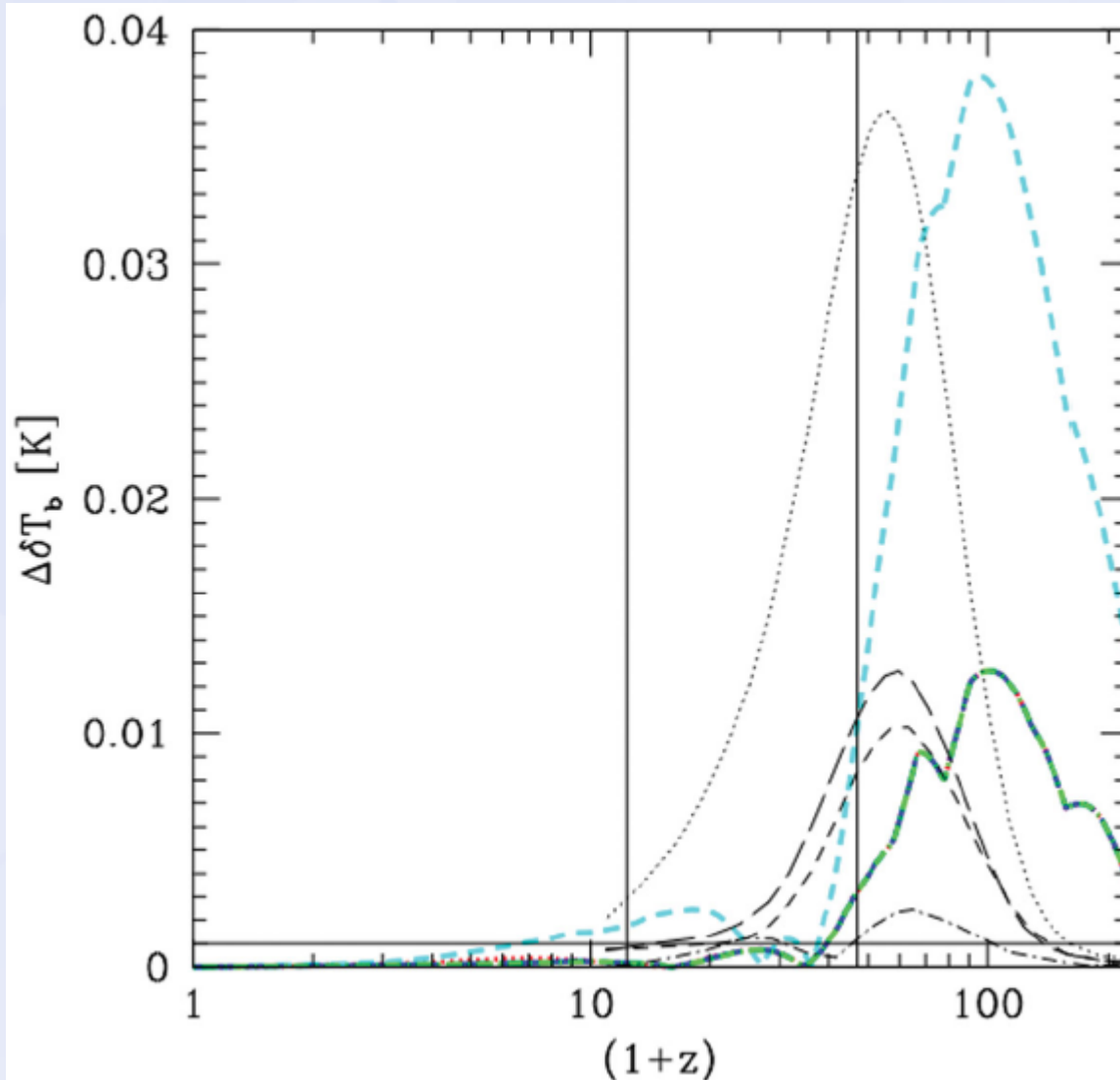
- Knowing the T_s , the differential brightness temperature is given by:

$$\delta T_b = \frac{T_s - T_{CMB}}{1+z} \tau(z), \quad \tau(z) = \frac{3c^3 h A_{10}}{32\pi k_b \nu_0^2 T_s(z) H(z)} n_{HI}(z),$$

- $\tau(z)$ is the optical depth of the neutral IGM at 21(1+z) cm.
- This is a measurable quantity, and represents the difference in brightness between the CMB and the neutral hydrogen.
- Consider:

$$\Delta \delta T_b(z) = |\delta T_b(z) - \delta T_{b,0}(z)|,$$

Effects Of DM Annihilation On The IGM - The 21 cm Signal



Subs. + Ad. Cont. +
 $M_{\text{WIMP}} = 1\text{TeV}$

Subs. + $M_{\text{WIMP}} = 1\text{TeV}$

Pure NFW + $M_{\text{WIMP}} = 1\text{TeV}$

Sub. + Ad. Cont. +
 $M_{\text{WIMP}} = 10\text{GeV}$

Limits (1mK
sensitivity + 30MHz
min freq. + PopIII
stars) from Valdés et
al. (2007) and Carilli
(2008).

Conclusions

- Thermal relic WIMP (10GeV-1TeV) DM annihilation cannot re-ionize the universe, even with adiabatic contraction and maximal absorption fraction.
- It does not provide an alternative feedback mechanism for galaxy formation.
- 1TeV WIMPs would only have noticeable effects on the IGM at $z < 20$. Below $z \sim 10$, PopIII stars or early-BH's drive the IGM evolution so ignoring them is no longer allowed.
- At $z = 10$, a 10GeV WIMP could give $X_e \sim 8E-3$ and $T_k \sim 200K$. A 1TeV WIMP could give $X_e \sim 6E-4$ and $T_k \sim 10K$
- A 1TeV WIMP is unlikely to be detected in the (global) 21cm signal. A 10GeV WIMP could be detected in principle, but only at the $\sim 3mK$ level in the frequency range of 55-120 MHz ($10 < z < 25$). Both could be detected in principle at frequencies < 40 MHz. According to Carilli (2008), this would require observations outside the ionosphere (e.g., from the moon).

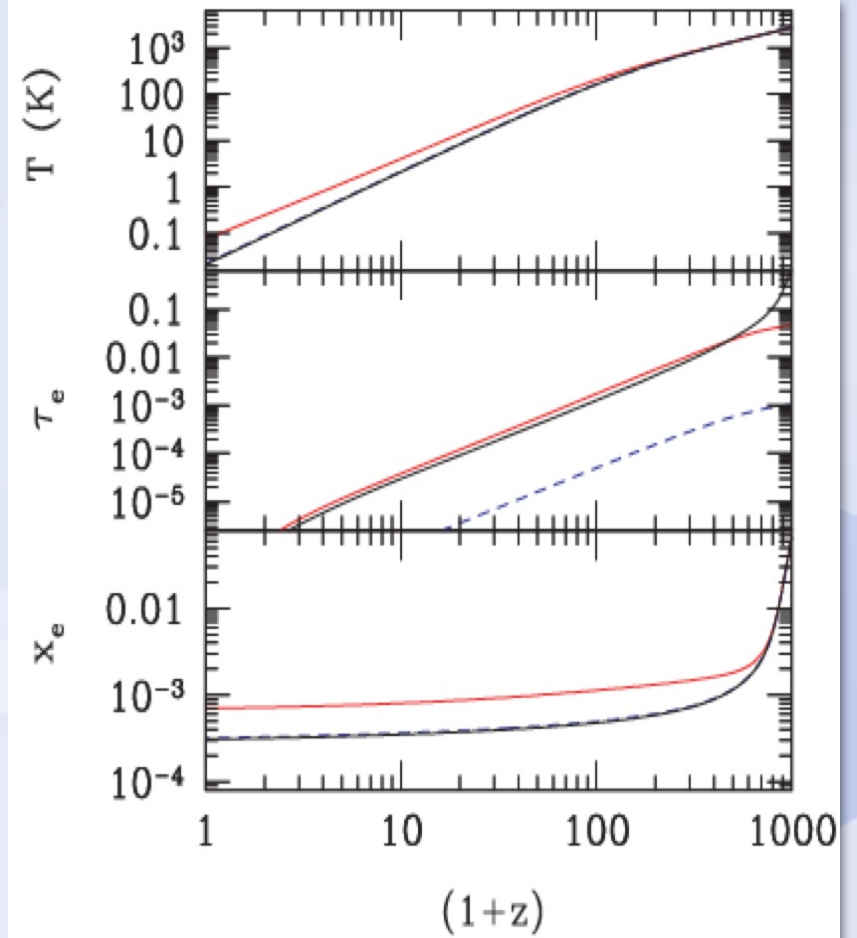
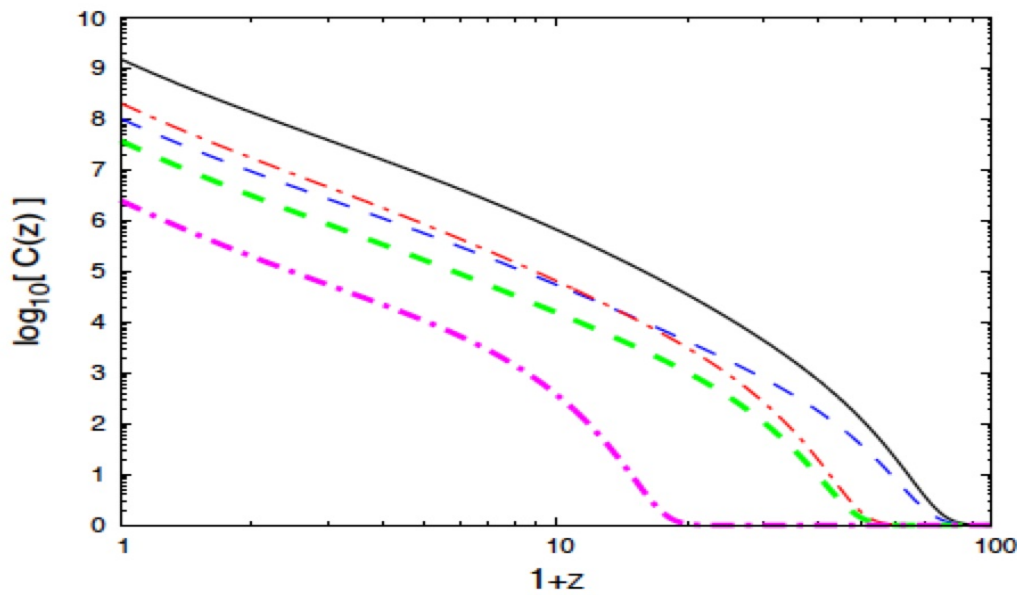
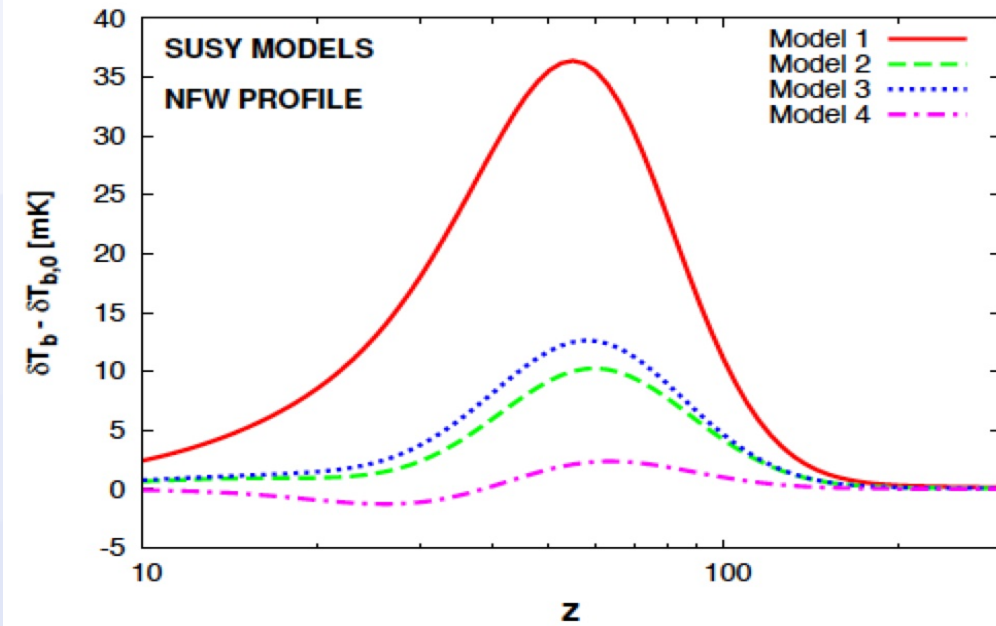
Important papers on DM annihilation effects on galaxy formation, the high-z IGM and the 21cm signal by other authors:

Galaxy Formation: Ascasibar (2006), Natarajan, Croton and Bertone (2008), etc...

High-z IGM and 21cm: Pierpaoli (2004), Mapelli, Ferrara & Pierpaoli (2006), Furlanetto, Oh and Pierpaoli (2006), Valdés et al. (2007), Ripamonti, Mapelli & Ferrara (2007), Chuzhoy (2008), Natarajan & Schwarz (2009), Cumberbatch, Lattanzi & Silk (2010), etc...

(Journal references given in the bibliography of **MNRAS 445, 850**)

THANK YOU FOR YOUR TIME



Mapelli, Ferrara and Pierpaoli (2006)

Cumberbatch, Lattanzi and Silk (2010)